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Premium Puzzle? An Empirical Study of the Japanese Stock Market

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Abstract

This paper investigates whether the consumption-free two-beta intertemporal capital asset-pricing model developed by Campbell and Vuolteenaho (2004) is able to solve the risk premium puzzle in the Japanese stock market over the period 1984–2002. Using the cash flow and discount rate betas as risk factors, the model is able to explain about half of the market returns by selection of suitable vector autoregression variables. On this basis, the model proposed solves the risk premium puzzle in Japan, thereby suggesting that Japanese investors are less risk averse than US investors. However, a model including only the cash flow beta better explains returns than a model with both betas. The analysis also tests and rejects the simple capital asset-pricing model in Japan.

Key words: Risk premium puzzle, Nonexpected utility, CAPM

JEL classification: G12

1. Introduction

Since Mehra and Prescott (1985) first identified the risk premium puzzle, many researchers have investigated whether the Lucas (1978) and Breeden (1979) form of the consumption-based capital asset-pricing model (C-CAPM) is compatible with the Japanese stock market. Using Hansen's (1982) Generalized Method of Moments, Hamori (1992) showed that the power utility type C-CAPM exhibits good performance with low-risk parameters while Hamori (1994) verified that the Epstein and Zin (1989, 1991) nonexpected utility type C-CAPM explains returns better in the Japanese equity market. Conversely, Tanigawa (1994) and Hori (1996) retested these models using the Hansen and Jagannathan (1991) bound test and rejected both. Nakano and Saito (1998) also applied these models to three Japanese markets—stock, land, and bonds—and verified their poor performance. Importantly, all of these models explicitly contain a consumption variable in the pricing kernel, and thus could not avoid the harmful effects arising from the use of aggregate consumption data: often incriminated as the cause of the risk premium puzzle because of aggregation bias, the infrequent reporting of consumption, sampling error, and smoothing associated with seasonal adjustment.

To avoid these problems with the use of aggregate consumption data, Campbell and Vuolteenaho (2004) develop a consumption-free intertemporal capital asset-pricing model (hereafter, CV model) assuming Epstein–Zin nonexpected utility. They solve the discrete-time version of Merton's ICAPM by using a dividend ratio model (Campbell, 1988a) and return decomposition (Campbell, 1991). The induced model includes two risk factors, the cash flow beta and the discount rate beta, both of which are endogenously determined. The former measures the correlation between asset returns and unexpected fluctuations in future cash flows (cash flow news) while the latter measures future discount rates (discount rate news). Campbell and Vuolteenaho (2004) decompose unexpected market returns into two components by assuming that the market variables follow a first-order vector autoregression (VAR) process, and find that the model empirically solves the risk premium puzzle with a low-risk aversion parameter in the US stock market.

The focus of this paper is whether the CV model also solves the risk premium puzzle in Japan. For this purpose, we empirically investigate the validity of the CV model for Japanese stock returns, and

compare it with a factor model and the simple capital asset-pricing model (CAPM). We select five variables as VAR state variables suitable for the Japanese data and estimate two betas as risk factors. The main contribution is that we demonstrate that the CV model is valid in Japan with high adjusted R-squared values (52.2% and 24.6%), and solve the risk premium puzzle with low values of the relative risk aversion (RRA) parameter (2.80 and 2.05). Given that the estimated RRA is lower than in the US, we conjecture that Japanese investors are less risk averse than investors in the US. We also find that a single-factor model only including a cash flow beta can successfully explain Japanese stock returns and reject the CAPM.

The remainder of the paper is organized as follows. Section 2 introduces the CV model. Section 3 discusses the variables used as state variables in the VAR, generates data on the two news variables, and estimates their betas. We also empirically analyze the Japanese stock market by comparing the CV model with the factor model and the CAPM, and estimate the RRA coefficient. Section 4 provides the conclusion.

2. Model

Consider a stock that pays dividends D_{t+1} at the end of the period. Letting P_t denote the price of the stock at time t , returns R_t are:

$$R_{t+1} = \frac{P_{t+1} + D_{t+1}}{P_t}. \quad (1)$$

Taking logarithms of both sides of equation (1) and using a Taylor expansion, the log of R_t , r_t , can be expressed approximately as linear in the logs of P_t and D_{t+1} :

$$r_{t+1} \approx k + \rho p_{t+1} + (1 - \rho)d_{t+1} - p_t, \quad (2)$$

where $\rho \equiv 1/(1 + \exp(\overline{d_t - p_t}))$; $k \equiv -\ln(\rho) - (1 - \rho)\ln(1/\rho - 1)$; and p_t and d_{t+1} denote the logarithms of P_t and D_{t+1} , respectively.

We solve equation (2) forward iteratively. By taking expectations and subtracting d_t from both sides, we obtain the familiar Campbell and Shiller (1988a) formula:

$$p_t - d_t = \frac{k}{1 - \rho} + E_t \sum_{j=0}^{\infty} \rho^j [\Delta d_{t+1+j} - r_{t+1+j}], \quad (3)$$

where $\Delta d_{t+1} (= d_{t+1} - d_t)$ denotes the log of dividend growth. This formula explains that the log of the price dividend ratio at time t depends on expectations at time t of the discounted sum of future dividend growth minus the discount rate.

We follow Campbell (1991) in decomposing unexpected returns into two of its component parts by using (3). Substituting equation (3) for p_t and p_{t+1} in (2) and rearranging obtains:

$$\begin{aligned} r_{t+1} - E_t r_{t+1} &= (E_{t+1} - E_t) \sum_{j=0}^{\infty} \rho^j \Delta d_{t+1+j} - (E_{t+1} - E_t) \sum_{j=1}^{\infty} \rho^j r_{t+1+j} \\ &= N_{CF,t+1} - N_{DR,t+1}, \end{aligned} \quad (4)$$

where $N_{CF,t+1} (= (E_{t+1} - E_t) \sum_{j=0}^{\infty} \rho^j \Delta d_{t+1+j})$ denotes news about future cash flows and

$N_{DR,t+1} (= (E_{t+1} - E_t) \sum_{j=1}^{\infty} \rho^j r_{t+1+j})$ denotes news about future discount rates.¹ Equation (4) implies that

unexpected returns are composed of two parts: changes during the period from t to $t + 1$ in expectations of future cash flows $\{\Delta d_{t+1+j}\}_{j=0}^{\infty}$ and discount rates $\{r_{t+1+j}\}_{j=1}^{\infty}$. Let $r_{M,t}^e$ represent the excess return in period t over the risk-free rate on the market portfolio. We define the betas as follows:

$$\beta_{i,CF} \equiv \frac{Cov(r_{i,t}, N_{CF,t})}{Var(r_{M,t}^e - E_{t-1} r_{M,t}^e)} \quad \text{and} \quad \beta_{i,DR} \equiv \frac{Cov(r_{i,t}, -N_{DR,t})}{Var(r_{M,t}^e - E_{t-1} r_{M,t}^e)}. \quad (5)$$

Because discount rate news has a negative sign, the sum of the two betas equals the market beta:

$$\beta_{i,M} = \beta_{i,CF} + \beta_{i,DR}. \quad (6)$$

Campbell and Vuolteenaho (2004) refer to $\beta_{i,CF}$ as the *cash flow beta* and $\beta_{i,DR}$ as the *discount rate beta*.² Equation (6) indicates that we can decompose the market beta into the cash flow and discount rate betas.

We close the model by specifying the utility-maximizing behavior of consumers. Consider an

¹ 'News' is used to describe the revision of expectations during the two periods.

² Campbell and Vuolteenaho (2004) also refer to the cash flow beta as the 'bad beta' and the discount rate beta as the 'good beta'.

infinitely lived representative consumer. He or she chooses the stochastic process of consumption C_t .

Assume that the nonexpected utility function U proposed by Epstein and Zin (1989, 1991) gives consumer preferences,

$$U(C_t, E_t(U_{t+1})) = \left[(1 - \delta)C_t^{\frac{1-\gamma}{\theta}} + \delta(E_t(U_{t+1}^{1-\gamma}))^{\frac{1}{\theta}} \right]^{\frac{\theta}{1-\gamma}}, \quad (7)$$

where θ satisfies $\theta \equiv (1 - \gamma)/(1 - \psi^{-1})$, γ represents the relative risk aversion (RRA) coefficient, ψ the elasticity of intertemporal substitution (EIS), and δ the time discount factor. Letting W_t denote wealth holding at time t , the budget constraint is given by $W_{t+1} = (1 + R_{p,t+1})(W_t - C_t)$. The representative consumer maximizes (7) subject to the budget constraint. The first-order condition is given by the Euler equation,

$$1 = E_t \left\{ \left[\delta \left(\frac{C_{t+1}}{C_t} \right)^{\frac{1}{\psi}} \right]^{\theta} \left[\frac{1}{(1 + R_{p,t+1})} \right]^{(1-\theta)} (1 + R_{i,t+1}) \right\}. \quad (8)$$

In equation (8), the pricing kernel—or intertemporal marginal rate of substitution (IMRS)—is given by $\left[\delta \left(\frac{C_{t+1}}{C_t} \right)^{\frac{1}{\psi}} \right]^{\theta} \left[\frac{1}{(1 + R_{p,t+1})} \right]^{(1-\theta)}$, and is shown to depend on two factors, consumption growth and market returns. The resulting two-factor structure enables us to examine the asset pricing implications of both news items (N_{CF} and N_{DR}). Note that in the case of $\gamma = 1$, the pricing kernel depends solely on market returns, i.e., the model reduces to CAPM, whereas when $\gamma = 1/\psi$, the pricing kernel depends solely on consumption growth, so that the C-CAPM holds.³

By assuming that consumption growth and asset returns follow a joint lognormal distribution, the logarithmic Euler equation is obtained from (8) as follows:

$$E_t(r_{i,t+1}) - r_{f,t+1} + \frac{\sigma_{i,t}^2}{2} = \gamma \text{Cov}_t(r_{i,t+1}, r_{p,t+1} - E_t r_{p,t+1}) + (1 - \gamma) \text{Cov}_t(r_{i,t+1}, -N_{p,DR,t+1}). \quad (9)$$

Substituting (4) into (9) yields:

³ With Epstein–Zin preferences, we can generally express the pricing kernel as the weighted product of consumption growth and market returns.

$$E_t(r_{i,t+1}) - r_{f,t+1} + \frac{\sigma_{i,t}^2}{2} = \gamma \text{Cov}_t(r_{i,t+1}, N_{p,CF,t+1}) + \text{Cov}_t(r_{i,t+1}, -N_{p,DR,t+1}), \quad (10)$$

which in turn can be rewritten using (6) as:

$$E_t(r_{i,t+1}) - r_{f,t+1} + \frac{\sigma_{i,t}^2}{2} = \gamma \sigma_{p,t}^2 \beta_{i,CF_{p,t}} + \sigma_{p,t}^2 \beta_{i,DR_{p,t}}. \quad (11)$$

Equation (11) indicates that two risk factors, the cash flow beta and the discount rate beta, determine the equity risk premium i . The risk price of the cash flow beta is $\gamma \sigma_{p,t}^2$ and the risk price for the discount rate beta is $\sigma_{p,t}^2$. The risk price of the cash flow beta is thus larger than the discount rate beta when the RRA coefficient γ is greater than one.

3. Empirical analysis

In this section, we use Japanese stock market data to examine: (i) whether the CV model is valid in the Japanese stock market compared with the factor model and the CAPM, and (ii) how large the RRA is in Japan. We conduct the empirical tasks as follows. First, we generate data on the cash flow and discount rate news by estimating a VAR model. We also show that the VAR variables used in this study are more suitable for explaining Japanese economic data than those used by Campbell and Vuolteenaho (2004) in the US. Second, using the news data, we estimate the cash flow and discount rate betas for various portfolios. Third, we regress portfolio returns on these betas to test the empirical validity of the models and to estimate the value of the RRA coefficient.

3.1. Data description and news and beta estimation

To construct data on cash flow and discount rate news, we estimate a VAR model as follows:

$$z_{t+1} = a + \Gamma z_t + \varepsilon_{t+1}, \quad (12)$$

where z_t denotes an $m \times 1$ state vector, the first element of which is market portfolio returns with the other elements being specified later, a is an $m \times 1$ constant vector, Γ is an $m \times m$ VAR coefficient

matrix, and ε_{t+1} is the $m \times 1$ error term or shock vector.

Upon estimation of the VAR process, the news data $N_{CF,t+1} = (e1' + e1'\lambda)\varepsilon_{t+1}$ and $N_{DR,t+1} = e1'\lambda\varepsilon_{t+1}$ are constructed as affine transformations of the shock vector ε_{t+1} :

$$N_{CF,t+1} = (e1' + e1'\lambda)\varepsilon_{t+1} \quad \text{and} \quad N_{DR,t+1} = e1'\lambda\varepsilon_{t+1}, \quad (13)$$

where $\lambda \equiv \rho\Gamma(I - \rho\Gamma)^{-1}$ maps VAR shocks to news, I denotes the $m \times m$ identity matrix, and $e1$ is an $m \times 1$ vector with one in the first element and zero otherwise.

For the VAR variables in z , we first try four variables; the *excess returns on the market index* (ER), the *term yield spread* (YS), the *price–book value ratio* (PBR), and the *value yield spread of small stocks* (VS). We construct ER by taking the difference in stock returns and the risk-free rate. For stock returns, we use the Total Index of the DAIWA Stock Index 2 (DSI–2, hereafter) from the website of the Daiwa Institute of Research Ltd. For the risk-free rate, we use the monthly GENSAKI Rates (the rate in the repurchase agreement market) from the Financial and Economic Statistics Monthly published by the Research and Statistics Department of the Bank of Japan.⁴ YS is the difference between short- and long-term yields on the Nikkei Bond Indices at the end of the month. PBR is the average value of the price–book value ratios computed from all listed companies on the First Section of the Tokyo Stock Exchange. This data are from the Monthly Statistics Report published by the Tokyo Stock Exchange. The ratio is log transformed. VS is the difference in small index returns for value and growth stocks from the DSI–2. The data series span the period 1984:1–2002:12. Table 1 provides descriptive statistics for the state variables. Table 3 reports the results of the VAR estimation using the four variables. Although TY and YS

⁴ The reference base for the DSI indices is the end of December 1983. There are four major DSI indices: (1) a Total Index that includes all securities listed on six markets (Tokyo, Osaka, and Nagoya Stock Exchanges, JASDAQ, TSE Mothers, and Hercules); (2) Style Indices, including large, small, value, and growth indices; (3) Sector Indices that correspond to various industrial sectors; and (4) Other Indices, which include stock indices for large nonfinancials and financials, and a nonfinancials total index. All of these indices are derived by weighting the total returns of composite stocks by their market. All of these indices have two types, DSI–1 and DSI–2: the former is based on floating shares and latter on all listed shares. For more details, see the Web site of Daiwa Capital Market Indices at <http://www.dir.co.jp/InfoManage/datarasc.html>.

have large values of adjusted R-squared, the system overall has only a few significant coefficients. More importantly, ER has a negative adjusted R-squared and no significant coefficients. The poor performance of the VAR estimation clearly indicates that these four VAR variables are unable to capture the expectations among market participants and may be inappropriate for the purposes of our analysis.

To improve the performance of the VAR, we add the following two variables instead of VS: the *growth rate of business failure* (DEF) and *bond yields* (BY). DEF is the year-on-year growth rate of business failures obtained from Tokyo Syoko Research (TSR). BY are the three-month GENSAKI rates at month end for three-month contracts. These are from the monthly report published by the Japan Securities Dealers Association, then transformed into real terms and taking the three-month moving average. Table 4 shows the results of the VAR using these five variables. By adding new two variables, the number of significant coefficients and the value of the adjusted R-squared both improve. In particular, ER now has three significant coefficients and a positive adjusted R-squared of 1.69.

We can compute the residuals using the estimated VAR coefficients and then decompose them into cash flow and discount rate news. Tables 5 and Table 6 provide descriptive statistics for the news calculated with the four-variable and five-variable VARs, respectively. Using the news data calculated above, we can compare the performance of the four-variable and five-variable VARs. Because cash flow news is the sum of discount rate news and the residuals of RP according to equation (13), the larger the VAR unpredictability, the greater the magnitude of the RP residuals and, as a consequence, the larger the cash flow news. Table 7 presents a comparison of the absolute sum, absolute average, and squared sum of both news calculated using four and five variables. As cash flow news for four variables is much larger than for five variables, we suspect that the four state variables have poorer prediction performance than the five state variables.

Using Equation (13), we decompose the variance of returns into three terms as follows:

$$\text{Var}(r_{t+1} - E_t r_{t+1}) = \text{Var}(N_{CF,t+1}) + \text{Var}(N_{DR,t+1}) - 2\text{Cov}(N_{CF,t+1}, N_{DR,t+1}). \quad (14)$$

This expression indicates that we can decompose the variance of expected returns, i.e., variance of total news, into variance and covariance of both types of news. Table 8 provides a comparison of both VARs using the variance decomposition of news. In the case of four variables, the variance of cash flow news and covariance of news unnaturally consists of a greater portion of total news, while with five variables, total

news decomposes well into both types of news. Accordingly, we use the news estimated by applying the VAR with five variables.

Next, we estimate the cash flow and discount rate betas. From definition (5) of the betas, these are estimated using the following equations:

$$\hat{\beta}_{i,CF} = \frac{\hat{Cov}(r_{i,t}, \hat{N}_{CF,t})}{\hat{Var}(\hat{N}_{CF,t} - \hat{N}_{DR,t})} \quad \text{and} \quad \hat{\beta}_{i,DR} = \frac{\hat{Cov}(r_{i,t}, -\hat{N}_{DR,t})}{\hat{Var}(\hat{N}_{CF,t} - \hat{N}_{DR,t})} \quad (15)$$

We use 43 DSI-2 indices for the asset return data: 33 sector indices, 7 Daiwa sector indices, and 3 other indices.⁵ We estimate the betas for these assets using the news data obtained above. The results are included in Table 9. On average, the discount rate beta is larger than the cash flow beta, and the correlation coefficient between the betas takes a positive and low value of 0.187. These features are similar to the US findings in Campbell and Vuolteenaho (2004).

3.2. Tests for asset-pricing models

Using these betas, we empirically compare three asset-pricing models: the factor model, the CV model, and the CAPM. Following Campbell and Vuolteenaho (2004), we assume three assumptions for equation (11). First, simple returns $E_t[R_{i,t+1} - R_{f,t+1}]$ are used instead of log-returns on the left-hand side. Second, the moments are invariant throughout time, so that unconditional moments can replace conditional moments. Finally, the stock portfolio is a proxy for the market portfolio.⁶ Equation (11) can then be rewritten as follows:

$$E[R_i - R_f] = \gamma \sigma_M^2 \beta_{i,CF_M} + \sigma_M^2 \beta_{i,DR_M} . \quad (16)$$

Using the estimated betas as explanatory variables, we represent the regression equation for the CV model as:

$$\overline{R_i^e} = g_0 + g_1 \hat{\beta}_{i,CF} + g_2 \hat{\beta}_{i,DR} + e_i, \quad (17)$$

⁵ See Footnote 4 for a short description of these indices.

⁶ For explicit expression of the third assumption, we insert subscript p into M .

where $\overline{R_i^e} \equiv \overline{R_i} - \overline{R_f}$ is the simple mean of excess returns on asset i and the slope parameters g_1 and g_2 are the prices of the risk factors. From equation (17), the ratio g_1/g_2 equals the RRA coefficient γ .

Following Campbell and Vuolteenaho (2004), each model is estimated in two different regression forms: the first with an unrestricted zero beta, and the second with a restriction that zero beta equals the GENSAKI rate. Each model includes White's heteroskedasticity consistent covariances. We also report the 95% critical value of a bootstrap using 2,500 simulated realizations.

We start by estimating the two-factor model with the cash flow and discount rate betas. We do this by regressing asset returns on both betas without imposing any restrictions on the risk prices. The results of these estimations are in the second and third columns of Table 10. The risk price of the cash flow beta is significantly positive whereas the risk price of the discount rate beta is insignificant with a large adjusted R-squared. Based on these results, we doubt that we could explain asset returns better using the single-factor model with a cash flow beta, so we regress returns on the cash flow and discount rate betas separately. Table 11 shows the results. In the single-factor specification, the cash flow beta is still significant and exhibits a value of adjusted R-squared larger than even the two-factor cases. In contrast, the discount rate beta remains insignificant. These findings suggest that only the cash flow beta significantly explains asset returns.

We next examine the CV model by running a regression with a restriction on the risk price of the discount rate beta, $g_2 = \sigma_M^2$.⁷ The results are included in the fourth and fifth columns of Table 10. The estimated slope parameter g_1 , which is the risk price of the cash flow beta, is significantly positive, implying that the CV model significantly predicts asset returns. The last row of Table 10 provides the RRA coefficient calculated by $\gamma = g_1/g_2$. This is 2.80 with an unrestricted zero beta and 2.05 with a restricted zero beta. These values are lower than in the US case and indicate that Japanese investors may be less risk averse than US investors.⁸ It is also noteworthy that we could solve the risk premium puzzle with this low-risk aversion parameter by applying the model to Japanese data. The results lead us to the conclusion that the CV model is useful for solving the risk premium puzzle in the Japanese stock market.

⁷ This restriction is from equation (11). In our data sets, $\sigma_M^2 = 0.00326$ computed from DSI-2.

⁸ In the US case in Campbell and Vuolteenaho (2004), RRA equals 8.6 and 7.0, respectively.

Lastly, we examine the CAPM with the restriction that both risk prices are equal, $g_1 = g_2$.⁹ The sixth and seventh columns of Table 10 report the results. Although the estimated coefficient is significantly positive, the value far exceeds average market portfolio returns; that is, the estimated risk price is significantly higher than that required by the CAPM specification.¹⁰ Accordingly, we conclude that a single-factor model with a market beta only marginally explains asset returns.

4. Conclusion

This paper investigates whether the consumption-free CV model better explains Japanese stock returns than the factor model and the traditional CAPM, and whether we can solve the risk premium puzzle, at least in Japan, using this model. In the analysis, we selected five VAR state variables (RP, YS, PBR, DEF, and BY) as being more suitable for Japanese data than the four variables used in the comparable US study. Using the estimated VAR coefficients, we decomposed unexpected returns into two components, and estimated the cash flow beta and the discount rate beta. We found the discount rate beta to be larger, on average, than the cash flow beta, and their low and positive correlation coefficient is consistent with the US case. We then tested three types of asset-pricing models: a two-factor model with two betas, the CV model, and the traditional CAPM.

The results of this analysis are as follows. Firstly, the single-factor model including only the cash flow beta better explained Japanese stock returns rather than a two-factor model including both betas. Second, the CV model is valid in the Japanese stock market, though with a somewhat lower adjusted R-squared than that found with the single-factor model. On this basis, we can solve the risk premium puzzle as the risk aversion parameter lies below three. Moreover, as the value of RRA is smaller than in comparable US studies, the implication is that Japanese investors are less risk averse than US investors. These results support previous findings by Hamori (1992, 1994) that the risk premium puzzle does not arise in Japan. Third, consistent with many previous studies, we reject the CAPM.

⁹ This restriction is from CAPM theory and the definition of betas in Equation (5).

¹⁰ The average of the excess market portfolio returns is 0.00062 in our data set.

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Table 1

Descriptive statistics of the four VAR state variables

	ER	YS	PBR	VS
Mean	0.000619	0.000600	0.785574	0.003447
Sterr.	0.003857	0.000032	0.030512	0.001586
Median	-0.001299	0.000653	0.741937	0.003226
Stdev.	0.058235	0.000484	0.460718	0.023947
Variance	0.003391	2.35E-07	0.212261	0.000573
Kurtosis	0.688647	-0.384242	-1.014469	2.756984
Skewness	0.016203	-0.425616	0.098127	-0.158592
Range	0.375825	0.001996	1.791759	0.199153
Min.	-0.209114	-0.000488	-0.105361	-0.095524
Max.	0.166711	0.001508	1.686399	0.103630
Sum	0.141125	0.136722	179.1109	0.785828

Note: This table shows the descriptive statistics of the VAR state variables. The sample period 1984:01–2002:12 comprises 228 monthly data points. ER is the excess return on the DSI–2 total stock index with all listed stocks. YS is the term yield spread of the Nikkei Index of Bond Yields. PBR is the average value of the price to book value ratio (in logs) of all stocks trading in the First Section of the Tokyo Stock Exchange. VS is the value yield spread of small stocks, which is the difference between the DSI–2 small-value and small-growth indexes. Sterr. is the standard error and Stdev. is the standard deviation.

Table 2

Descriptive statistics of the five VAR state variables

	ER	YS	PBR	DEF	BY
Mean	0.000619	0.000600	0.785574	0.026984	0.001788
Sterr.	0.003857	0.000032	0.030512	0.016161	0.000102
Median	-0.001299	0.000653	0.741937	-0.007281	0.001629
Stdev.	0.058235	0.000484	0.460718	0.244022	0.001535
Variance	0.003391	2.35E-07	0.212261	0.059547	0.000002
Kurtosis	0.688647	-0.384242	-1.014469	0.906710	-0.527424
Skewness	0.016203	-0.425616	0.098127	0.873182	-0.122364
Range	0.375825	0.001996	1.791759	1.221223	0.006956
Min.	-0.209114	-0.000488	-0.105361	-0.407945	-0.001908
Max.	0.166711	0.001508	1.686399	0.813278	0.005048
Sum	0.141125	0.136722	179.1109	6.152348	0.407580

Note: This table shows the descriptive statistics of the VAR state variables. The sample period 1984:01–2002:12 comprises 228 monthly data points. ER is the excess return on the DSI-2 total stock index with all listed stocks. YS is the term yield spread of the Nikkei Index of Bond Yields. PBR is the average value of the price to book value ratio (in logs) of all stocks trading in the First Section of the Tokyo Stock Exchange. DEF is the growth rate of business failures calculated as the year-on-year rate. BY is the bond yield trading with repurchase agreement at month-end, with a term to maturity of three months, transformed into real terms and a three-month moving average. Sterr. is the standard error and Stdev. is the standard deviation.

Table 3

VAR parameter estimates using four variables

	ER	YS	PBR	VS
ER(-1)	0.034895 (0.51071)	0.000054 (0.41495)	0.099180 (1.27987)	0.009471 (0.34700)
YS(-1)	9.167112 (1.07960)	0.974357*** (60.0024)	5.844833 (0.60691)	1.238651 (0.36517)
PBR(-1)	0.003957 (0.43922)	-0.000008 (-0.49236)	0.997770*** (97.6439)	0.001303 (0.36212)
VS(-1)	-0.140170 (-0.85815)	-0.000060 (-0.19102)	0.033829 (0.18261)	0.250333*** (3.83651)
C	-0.007837 (-0.73386)	0.000019 (0.92775)	-0.006800 (-0.56143)	0.000949 (0.22250)
Adj. R-squared	-0.69%	94.70%	97.94%	4.69%

Note: This table provides the OLS parameter estimates for a first-order VAR model including a constant term (C), the risk premium (ER), the term yield spread (YS), the price–book value ratio (PBR), and the value yield spread of small stocks (VS). The sample periods for the dependent variables 1984:02–2002:12 comprise 227 monthly data points. · (-1) is the explanatory variable of the VAR and denotes a lag of one period. Adj. R-squared denotes the adjusted R-squared. The first row for each variable is the estimated coefficients. The values in parentheses are *t*-values.

*** denotes significance at the 1% level, ** at the 5% level, and * at the 10% level.

Table 4

VAR parameter estimates using five variables

	ER	YS	PBR	DEF	BY
ER (-1)	0.029732 [0.44259]	0.000063 [0.49303]	0.084837 [1.11092]	0.028358 [0.24599]	0.000542 [1.15694]
YS (-1)	6.907166 [0.81570]	0.978928*** [60.6790]	3.635542 [0.37768]	-17.87396 [-1.23002]	-0.142301** [-2.41014]
PBR (-1)	-0.018503 [-1.49368]	-0.000026 [-1.09293]	0.977109*** [69.3886]	-0.004198 [-0.19747]	0.000018 [0.20801]
DEF (-1)	-0.036879** [-2.12304]	0.000050 [1.51829]	-0.039937** [-2.02243]	0.911260*** [30.5691]	-0.000040 [-0.33078]
BY (-1)	7.211536** [2.13043]	0.012449* [1.93038]	6.282213 [1.63257]	-3.461354 [-0.59586]	0.945719*** [40.0688]
C	-0.001084 [-0.09707]	0.000006 [0.28377]	0.000844 [0.06652]	0.021503 [1.12218]	0.000162** [2.07685]
Adj. R-squared	1.69%	94.86%	97.98%	83.55%	93.09%

Note: The table provides the OLS parameter estimates for the first-order VAR model including a constant term (C), the risk premium (ER), the term yield spread (YS), the price–book value ratio (PBR), the growth rate of business failure (DEF), and the bond yields (BY). The sample periods for the dependent variables 1984:02–2002:12 comprise 227 monthly data points. · (-1) is the explanatory variable of the VAR and denotes a lag of one period. Adj. R-squared denotes the adjusted R-squared. The first row for each variable is the estimated coefficients. The values in parentheses are *t*-values.

*** denotes significance at the 1% level, ** at the 5% level, and * at the 10% level.

Table 5

Descriptive statistics for cash flow and discount rate news as generated by the four-variable VAR

DR news		CF news	
Mean	0.000000	Mean	0.000000
Sterr.	0.003275	Sterr.	0.005921
Median	-0.001416	Median	-0.000947
Stdev.	0.049342	Stdev.	0.089211
Variance	0.002435	Variance	0.007959
Kurtosis	1.071481	Kurtosis	0.908227
Skewness	0.072473	Skewness	0.132476
Range	0.341018	Range	0.591441
Min.	-0.169527	Min.	-0.296546
Max.	0.171491	Max.	0.294895
Sum	0.000000	Sum	0.000000

Note: This table provides descriptive statistics for the cash flow (CF) and discount rate (DR) news generated from the four-variable VAR with elements RP, YS, PBR, and VS. Sterr. is the standard error and Stdev. is the standard deviation.

Table 6

Descriptive statistics for cash flow and discount rate news generated by the five-variable VAR

DR news		CF news	
Mean	0.000000	Mean	0.000000
Sterr.	0.003332	Sterr.	0.002700
Median	0.000074	Median	-0.002155
Stdev	0.050211	Stdev	0.040679
Variance	0.002521	Variance	0.001654
Kurtosis	0.945681	Kurtosis	-0.350219
Skewness	0.022871	Skewness	0.107653
Range	0.333853	Range	0.204112
Min.	-0.167265	Min.	-0.105049
Max.	0.166588	Max.	0.105049
Sum	0.000000	Sum	0.000000

Note: The table provides descriptive statistics for cash flow (CF) and discount rate (DR) news generated from the five-variable VAR with elements RP, YS, PBR, DEF, and BY. Sterr. is the standard error and Stdev. is the standard deviation.

Table 7

Absolute sum, absolute average, and sum of squares of news

	CF news		DR news	
	Four variables	Five variables	Four variables	Five variables
Absolute sum	15.13506	7.50625	8.31925	8.64082
Absolute average	0.06667	0.03307	0.03665	0.03807
Sum of squares	1.79864	0.374	0.55022	0.56979

Note: The table provides the absolute sum, absolute average, and sum of squares for news generated by the four and five-variable VARs, respectively. Absolute sum is the sum of the absolute value of news; absolute average is the average of the absolute value of news; sum of squares is the sum of the squared value of news.

Table 8

Variance decomposition of returns

Four variables

	Var(total news)	Var(CFN)	Var(DRN)	-2Cov(CFN.DRN)
Real value	0.0034	0.0080	0.0024	-0.0070
Ratio	1.0000	2.3725	0.7258	-2.0890

Five variables

	Var(total news)	Var(CFN)	Var(DRN)	-2Cov(CFN.DRN)
Real value	0.0033	0.0017	0.0025	-0.0009
Ratio	1.0000	0.5076	0.7733	-0.2797

Note: The table provides the variance decomposition for unexpected stock returns, i.e., total news, using four- and five-VAR state variables, respectively. Each column 'Real value', i.e., 'Var (total news)', 'Var (CFN)', 'Var (DRN)', and '-2 Cov (CFN, DRN)', are given as each terms of equation $\text{Var}(r_{t+1} - E_t r_{t+1}) = \text{Var}(N_{CF,t+1}) + \text{Var}(N_{DR,t+1}) - 2\text{Cov}(N_{CF,t+1}, N_{DR,t+1})$. Dividing 'Real value' by the variance of total news gives 'Ratio' (by definition sums to one).

Table 9

Beta of each index

Indices	Portfolio classification	CF β	DR β	Total β
33 sectors	Fishery, Agriculture & Forestry	0.210	0.617	0.827
	Mining	0.290	0.698	0.988
	Construction	0.063	0.043	0.106
	Foods	-0.085	-0.178	-0.262
	Textiles	0.176	0.591	0.767
	Pulp & Paper	0.316	0.669	0.985
	Chemicals	0.101	0.065	0.166
	Pharmaceutical	-0.142	-0.173	-0.316
	Oil & Coal Products	0.140	0.606	0.746
	Rubber Products	0.325	0.858	1.183
	Glass & Ceramic Products	0.169	0.048	0.217
	Iron & Steel	0.116	-0.275	-0.159
	Nonferrous Metals	0.107	0.770	0.877
	Metal Products	0.055	0.877	0.932
	Machinery	0.123	-0.025	0.098
	Electric Appliances	0.177	-0.170	0.007
	Transportation Equipment	0.125	0.559	0.683
	Precision Instruments	-0.003	0.834	0.831
	Other Products	0.083	0.045	0.128
	Electric Power & Gas	0.341	-0.483	-0.141
	Land Transportation	0.200	0.470	0.670
	Marine Transportation	-0.026	1.240	1.214
	Air Transportation	0.052	0.065	0.116
	Warehousing & Harbor	0.259	-0.582	-0.323
	Information & Communication	0.322	0.761	1.082
	Wholesale Trade	0.107	1.338	1.445
	Retail Trade	-0.093	-0.194	-0.287
	Banks	0.439	-0.778	-0.338
	Securities	0.820	1.121	1.941
	Insurance	0.010	1.372	1.382
	Other Finance	-0.520	-0.332	-0.852
	Real Estate	0.415	-0.648	-0.233
	Services	0.838	0.985	1.823

Table 9

Beta of each index –continued

Indices	Portfolio classification	CF β	DR β	Total β
Daiwa 7 sectors	Material	-0.109	1.289	1.180
	Manufacturing	-0.599	-0.320	-0.919
	Miscellaneous Manufacturing	0.312	-0.733	-0.421
	Transportation & Utility	0.972	0.885	1.858
	Services	-0.005	1.394	1.389
	Miscellaneous Non-Manufacturing	-0.661	-0.211	-0.871
	Financial	0.557	-0.777	-0.220
Others	Large Non-Financials	0.974	0.829	1.803
	Large Financials	0.010	1.405	1.415
	Non-Financials Total Index	-0.678	-0.195	-0.873
Average		0.146	0.334	0.480
Correlation coef.		-	-	0.187

Note: The table provides the value of the betas for each index. ‘CF β ’ denotes the cash flow beta and ‘DR β ’ denotes the discount rate beta. ‘Total β ’ denotes the sum of the two betas. ‘Correlation coef.’ denotes the correlation coefficient of the two betas.

Table 10

Regression tests for the three asset-pricing models

	Factor Model		CV model		CAPM	
g_0	-0.00169***	NA	-0.00251***	NA	-0.00151**	NA
Std.error	[0.00046]	NA	[0.00051]	NA	[0.00073]	NA
95% BS interval						
Upper	-0.00088	NA	-0.00155	NA	-0.00013	NA
Lower	-0.00269	NA	-0.00356	NA	-0.00297	NA
g_1	0.01012***	0.00900***	0.00912***	0.00668***	0.00294***	0.00213***
Std.error	[0.00085]	[0.00126]	[0.00090]	[0.00123]	[0.00088]	[0.00076]
95% BS interval						
Upper	0.01207	0.01159	0.01108	0.00927	0.00481	0.00372
Lower	0.00889	0.00687	0.00748	0.00447	0.00143	0.00074
g_2	0.00036	-0.00048	0.00326	0.00326	0.00294***	0.00213***
Std.error	[0.00044]	[0.00049]	NA	NA	[0.00088]	[0.00076]
95% BS interval						
Upper	0.00126	0.00051	NA	NA	0.00481	0.00372
Lower	-0.00044	-0.00145	NA	NA	0.00143	0.00074
Adj. R-squared	70.82%	60.08%	52.17%	24.55%	28.42%	21.24%
RRA coef.	NA	NA	2.80	2.05	NA	NA

Note: The table shows estimated risk prices for the factor model with two betas, the CV model, and the CAPM. g_0 , g_1 , and g_2 are regression estimates of the constant term, the risk price of the cash flow beta, and the risk price of the discount rate beta, respectively. All regressions include White Heteroskedasticity Consistent Covariances. The factor model is regressed with no restriction, the CV model with $g_2 = 0.00329$, and the CAPM with $g_1 = g_2$. The table reports two regressions for each model, with and without a constant. ‘Std. error’ denotes the standard error of estimated coefficient. ‘95% BS interval’ denotes the 95% confidence interval with bootstrap from 2,500 simulated realizations. ‘Upper’ is the upper critical value and ‘Lower’ is the lower critical value. ‘Adj. R-squared’ is the adjusted R-squared of the regression. ‘RRA coef.’ is the relative risk aversion coefficient calculated as $\gamma = g_1/g_2$. NA – not applicable.

*** denotes significance at the 1% level, ** at the 5% level, and * at the 10% level.

Table 11

Regression tests with individual betas

	Cash flow beta		Discount rate beta	
g_0	-0.00159***	NA	-0.00056	NA
Std.error	[0.00042]	NA	[0.00076]	NA
95% BS interval				
Upper	-0.00084	NA	0.00010	NA
Lower	-0.00247	NA	-0.00193	NA
g_1	0.01024***	0.00870***	NA	NA
Std.error	[0.00089]	[0.00110]	NA	NA
95% BS interval				
Upper	0.01238	0.01127	NA	NA
Lower	0.00901	0.00689	NA	NA
g_2	NA	NA	0.00139	0.00105
Std.error	NA	NA	[0.00096]	[0.00082]
95% BS interval				
Upper	NA	NA	0.00295	0.00242
Lower	NA	NA	-0.00075	-0.00077
Adj. R-squared	71.24%	60.43%	2.14%	3.16%

Note: The table shows estimated risk prices for the single factor model with each beta. g_0 , g_1 , and g_2 are regression estimates of the constant term, the risk price of the cash flow beta, and the risk price of the discount rate beta, respectively. All regressions include White Heteroskedasticity Consistent Covariances. Cash flow beta is the single-factor model with only the cash flow beta, and discount rate beta only includes the discount rate beta. The table reports two regressions for each model, with and without a constant. ‘Std. error’ denotes the standard error of estimated coefficient. ‘95% BS interval’ denotes the 95% confidence interval with bootstrap from 2,500 simulated realizations. ‘Upper’ is the upper critical value and ‘Lower’ is the lower critical value. ‘Adj. R-squared’ is the adjusted R-squared of the regression. NA – not applicable.

*** denotes significance at the 1% level, ** at the 5% level, and * at the 10% level.